

1. Translate: 'x and y together total at most 14 hours.'

at most = $\leq$

Answer: $x + y \leq 14$

2. Translate: 'earn at least \$120 at \$6/hr (x) and \$12/hr (y).'

at least = $\geq$

Answer: $6x + 12y \geq 120$

3. Snacks \$3 (s), drinks \$2 (d), budget at most \$18, need at least 4 drinks.

Two conditions

Answer: $3s + 2d \leq 18$; $d \geq 4$

4. Can $s = 2$, $d = 5$ work in the system above?

$6 + 10 = 16 \leq 18$ yes; $5 \geq 4$ yes

Answer: Yes

5. Can $s = 4$, $d = 4$ work?

$12 + 8 = 20 \leq 18$? No

Answer: No

6. A club sells shirts (\$10) and hats (\$6), wants at least \$300, can make at most 40 items.

Value + count conditions

Answer: $10s + 6h \geq 300$; $s + h \leq 40$

7. In that system: does $s = 25$, $h = 10$ work?

$250 + 60 = 310 \geq 300$ yes; $35 \leq 40$ yes

Answer: Yes

8. Why do real problems often also need $x \geq 0$ and $y \geq 0$?

Can't sell negative items

Answer: quantities can't be negative

9. Babysitting \$6/hr (x), tutoring \$12/hr (y): at least \$120, at most 14 hours total. Write the system and test (10, 5).

$6x + 12y \geq 120$; $x + y \leq 14$

$60 + 60 = 120$ yes; $15 \leq 14$ NO

Answer: system as shown; (10,5) fails the hour cap

10. For that same system, find a combo that DOES satisfy both, and explain your check. ★ challenge

Try (4, 9): $24 + 108 = 132 \geq 120$

$4 + 9 = 13 \leq 14$

Answer: e.g., 4 sitting + 9 tutoring hours